

## STUDY OF THE CONTROL OF POWER ELECTRONICS WITH THE HELP OF HYBRIDMODELLING & ANALYSIS IN POWER YSTEM

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### ABSTRACT

Switched circuits in power electronics by their tendency present half and half conduct. Such circuits can be depicted by an arrangement of discrete states with related nonstop elements. A control objective, generally direction of the yield despite unsettling influences in the consistent system, is expert by picking among discrete states. We depict a half breed systems point of view of a few basic assignments in the plan and investigation of power electronics. A DC-DC support converter circuit is exhibited as an illustrative case, and the augmentation of this circuit to a different yield design is given to demonstrate the good scaling properties and expansive utility of the mixture approach.

### 1. INTRODUCTION

Since their presentation in the 1950's, power semiconductor segments have consistently enhanced in execution, cost, and comfort. Present day segments like power MOSFETs and IGBTs (Insulated Gate Bipolar Transistors) offer great particulars for switching recurrence and on-resistance, while taking out the issues with constrained replacement related with before eras of power gadgets [1]. As these segments have turned out to be more alluring to fashioners, the utilization of switching circuits in power applications has turned out to be progressively normal. Such circuits ordinarily utilize PWM (Pulse Width Modulation) or comparable switching strategies to direct the voltage or current conveyed to a heap, and systems of straight circuit components to later the switching drifters from this yield. Switching circuits are found in applications including power supplies, variable speed machine drives, and DC-DC converters, just to give some examples [2].

As a rousing illustration, a DC-DC support" converter shows up in Figure 1. The motivation behind the circuit is to draw power from the source  $V_{in}$ , and supply power to the heap R at a higher voltage  $V_{out}$  (henceforth the name support").

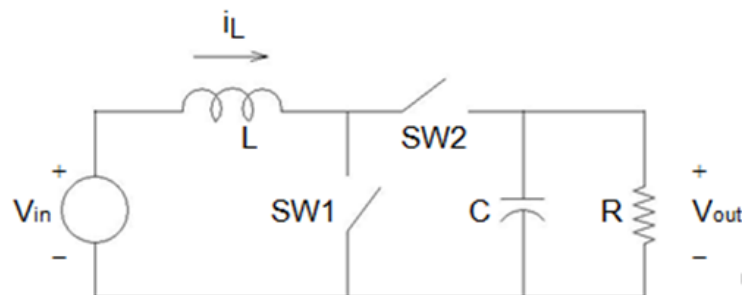


Fig 1. The Dc-Dc boost converter

### 2. HYBRID MODELING AND ANALYSIS

Here we all the more formally de ne the class of half and half systems proposed for consider, which we allude to as power electronics circuits". A power electronics circuit can be portrayed as a system

of electrical segments chosen from the accompanying three gatherings: perfect voltage or current sources, direct components (e.g. resistors, capacitors, inductors, transformers), and nonlinear components going about as switches. At this level of reflection, the conduct of a switch is glorified as having two discrete states: an open circuit and a short out [3].

In a circuit with K switches, there are 2K conceivable discrete states. Practically speaking in any case, not these discrete states can be gone to. Some of them are not attainable due to the physical qualities of the switches, while others are restricted by the originator as a result of wellbeing contemplations.

In light of the limited decision of circuit components, the subsequent systems have the alluring property that the ceaseless Dynamics of each discrete state are straight or relative. Note, in any case, that these elements can permit subjectively huge float of constant states, or enable the system to unwind to a trifling balance point. It is by misusing the distinctions among the flow of the different switching setups that the coveted conduct of the circuit is accomplished.

In this manner under the proposed definition, the main contribution to the system is the decision of discrete state. Discrete moves are not really under control. Some are managed by the physical qualities of the switching components and the advancement of streams and voltages in the circuit. This examination will bargain just with constant disturbances[4]. Consequently an aggravation will be thought to be an adjustment in the estimation of a source or straight component after some time. Switching components are accepted to dependably work effectively.

### Modeling

It is a straightforward task to formulate the hybrid model for a power electronics circuit as defend in Definition 2. Note that unlike the modeling techniques discussed in Section 2, the hybrid model captures the exact behavior of the circuit, without approximation [5].

We consider the example of the conventional DC-DC boost converter shown in Figure 1. There are two discrete states ([SW1 on, SW2off], and [SW1 off, SW2 on]) which we will call  $q_1$  and  $q_2$  respectively. Hence,  $Q = \{q_1; q_2\}$  and  $E = \{(q_1; q_2); (q_2; q_1)\}$ . The state of the system is defined as  $x = [i_L v_o]^T$ , which gives the affine state equations for  $q_i$  ( $i = 1, 2$ ) in the form of Equation given below, where

$$A_1 = \begin{bmatrix} 0 & 0 \\ 0 & -\frac{1}{RC} \end{bmatrix}, A_2 = \begin{bmatrix} 0 & \frac{1}{L} \\ \frac{1}{C} & -\frac{1}{RC} \end{bmatrix}, B_1 = B_2 = b = \begin{bmatrix} v_{in} \\ \frac{L}{0} \\ 0 \end{bmatrix}$$

And the numerical values to be used are  $v_{in} = 1.5V$ ,  $L = 150 \mu H$ ,  $C = 110 \mu F$  and  $R = 6\Omega$ . To further simplify the notation above, we use  $f_i$  for  $f_{q_i}$ ,  $A_i$  for  $A_{q_i}$  and  $b_i$  for  $b_{q_i}$ , and we define  $\Lambda = \{1; \dots; N\}$  and  $I_1 = I_2 = X = R^2$ .

### Stability

The presence of a sheltered ball B is specifically connected with the idea of solidness, in any event in a wide sense. On the off chance that we can discover a ball B on whose limit there dependably exists

a contribution to drive the state into the ball, at that point we guarantee that it is conceivable to remain inside the ball B creatively. The main prerequisite is to pick the suitable control activity when the state achieves the limit. Here, we propose a procedure for taking care of Problem by deciding the presence of the ball, and building the ball on the off chance that it does to be sure exist. The presence of such a protected ball B can be portrayed by the accompanying recommendation.

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Algorithm 1: Safe Ball
Initialize  $\delta = 0$ , largest_good_delta = 0;
While  $\delta < \delta_{\max}$ 
     $\delta = \delta + \Delta\delta$ ;
    is_good_delta = true;
    For all  $x \in \partial B_{x_d}(\delta)$ 
        if  $\min_{i \in \Lambda} \langle x - x_d, f_i(x) \rangle > 0$ 
            is_good_delta = false; Break;
        End;
    End;
    If is_good_delta
        largest_good_delta =  $\delta$ ;
    End;
End;
    
```

**Fig.2. Algorithm to find a safe ball B with maximum radius inside F**

Figure 2 demonstrates a calculation to locate the sheltered ball B. The estimation of  $\delta_{\max}$  is processed as the most extreme sweep of the ball contained in F; when F is rectangular this calculation is insignificant [6].

**Regulation**

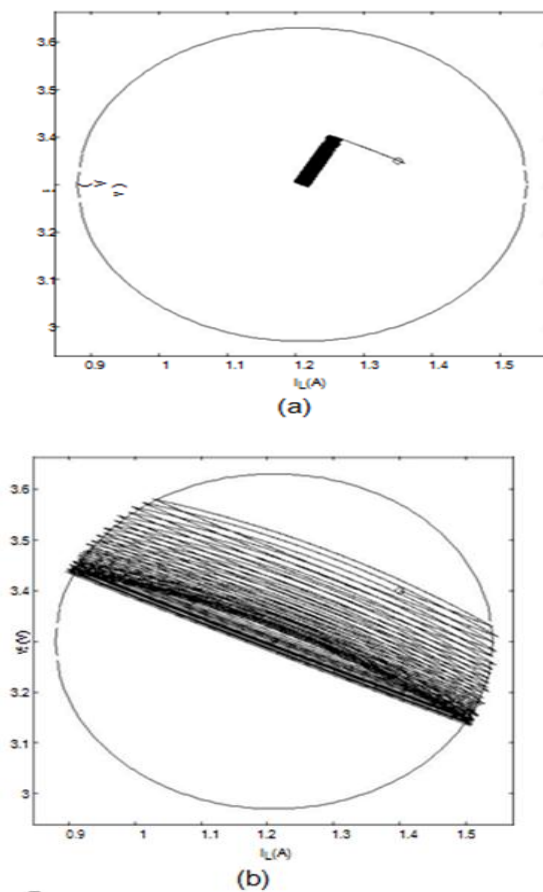
Once a protected set is discovered, the strength of the system is ensured. We can think, at that point, on the plan of controllers for the inside of the protected set. What shape these might take relies upon the application. By and large, it might be valuable to detail controllers that fulfill different execution criteria inside the protected set.

For instance, we display two controllers for the inside of the protected arrangement of the DC-DC converter. The rest one, called "least swell control", dependably picks the control whose vector field focuses.

Nearer to the set point  $x_d$ . The control activity limits the cosine of the edge between  $x - x_d$  and  $f_i(x)$  as

$$\sigma_I = \arg \min \frac{\langle x - x_d \rangle}{\|f_i(x)\|}$$

Where we omit  $\|x - x_d\|$  in the denominator because it is independent of  $i$



**Fig.3. State trajectories of system using (a) the minimum ripple controller, and (b) the minimum switching controller**

### Disturbances

So far in our examination we have accepted finish learning of the progression of the system. By and by, there is dependably instability about the estimations of the parameters of our model. We consider now the impacts of such unsettling influences on the calculation of the protected set, and in this way on the steadiness of the system [7]. The rest common augmentation of the past outcome is to force the condition that, while the Disturbances  $d$  can change subjectively in some set  $D$ , in the most pessimistic scenario there is dependably a vector field pointing into the ball. All the more formally, this requires solution of Proposition 1 to suit the condition  $\min_{i \in \mathcal{I}} \wedge \text{Max}_{d \in D} \langle -x, x_d \rangle; f_i(x; d) > 0$ , where the vector fields now depend on the disturbances.

However the investigation must be changed further, on the grounds that the estimation of the set point is additionally an influenced by the disturbances. For this situation, it is impractical to indicate a subjective set point in the state space; one can just determine a range in light of the scope of the disturbances. This is on account of the connection between the normal voltages and streams must be kept up in the enduring {state, and this relationship relies upon the disturbances.

Beneath we define a capacity  $\varphi$ , called an enduring "state connection", with the end goal that  $v = \varphi(w, d)$  where  $w$  are free state factors, and  $d$  is disturbances. The accompanying suggestion at that point formalizes the alterations expected to deal with disturbances[8]. Considering our DC-DC converter illustration, the steady{state connection can be.

### Sampling Time

$$\langle x - x_d, f_1(x, d) \rangle = \frac{i_L - i_{L,d}}{L} d_2 - \frac{v_o(v_o - v_{o,d})}{c} d_1$$

$$\langle x - x_d, f_2(x, d) \rangle = \frac{(i_L - i_{L,d})}{L} D_2 \cdot \frac{v_o(v_o - v_{o,d})}{(c)} d_1 \frac{i_L - i_{L,d}}{L} + \frac{i_L(v_o - v_{o,d})}{c}$$

The past outcomes are substantial under the suspicion that the control move can be made anytime in constant time. This is a solid supposition, on the grounds that practically speaking switches require a non-zero time to turn on and off. Besides, the suspicion additionally suggests that the controller can assess the predefined capacities ceaselessly, while practically speaking every one of the assessments require examining and limited calculation time [9]. Thusly it is important to consider these restrictions in our model.

In this segment, we depict the system with a tested information demonstrate, i.e., utilizing a worldwide clock of period  $T$ , to such an extent that the assessment of the state and the choice about the control activity happen at discrete minutes in time  $t_k = kT$ . We accept that the calculation time is zero, i.e., both the estimations and the control activity happening in the meantime.

Under these suppositions, the conditions forced on the protected set must be more prohibitive. It is insufficient to require that a protected control activity can be picked at the focuses in the limit; now we should require a similar condition on any point that can be come to from inside the sheltered set in time  $T$  [10].

Given a sheltered set portrayed by a protected ball  $B$  as in Section 4.2, we describe the arrangement of reachable focuses from  $B$  in time  $T$  as incorporated into another ball  $B$  of span  $\delta$  bigger than that of  $B$ . Given any point  $x_0 \in \partial B$ , let  $x_{T,i}$  be the state in the wake of owing for  $T$  seconds utilizing the control  $\sigma_i$ . Since the system is relative, at that point

$$x_{T,i} = e^{AiT} x_0 + \int_0^T e^{A_i t} dT b = x_0 + f_i(x_0)T + \dots$$

And we have

$$\|x_{T,i} - x_d\| = \|x_0 - x_d + f_i(x_0)T + \dots\|$$

$$\leq \|x_0 - x_d\| + \|f_i(x_0)T + \dots\| \sim T \|f_i(x_0)\|$$

Where  $\delta$  is the radius of  $B$ , and we have discarded higher order terms. This expression gives an approximation of if we find the worst case for all  $x_0 \in \partial B$  and for all  $i$ .

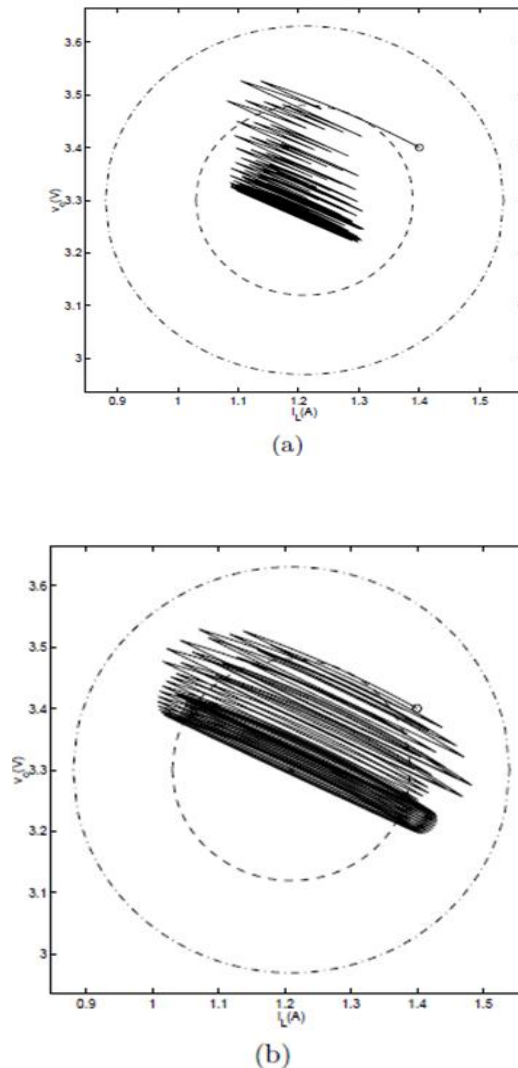
Once we have an estimation of  $\delta$ , we have to verify that the conditions of Proposition 1 are met for all balls with radius. This gives us a sufficient condition for the stability of the sampled {data system}. The idea can be extended in the presence of disturbances by computing the worst case for all  $d$ , i.e.,

$$\delta = \max_{i \in \Lambda} \max_{d \in D} \max_{x_0 \in \partial B} \|x_{T,i}(x_0; d) - x_d\|$$

$$i \in \Lambda, d \in D, x_0 \in \partial B$$

To remain inside the allowable set  $F$ , we need to force the condition that maximum. This requires an alteration of the calculation in Figure 3 to process for each progression when is great delta is True [11]. In our case, since was initially on the edge of the permissible set, the new ball will be normally littler. The qualities registered are  $\delta = 0.18$ , and  $\delta = 0.33$  for an examining time of 10 s. An opportunity

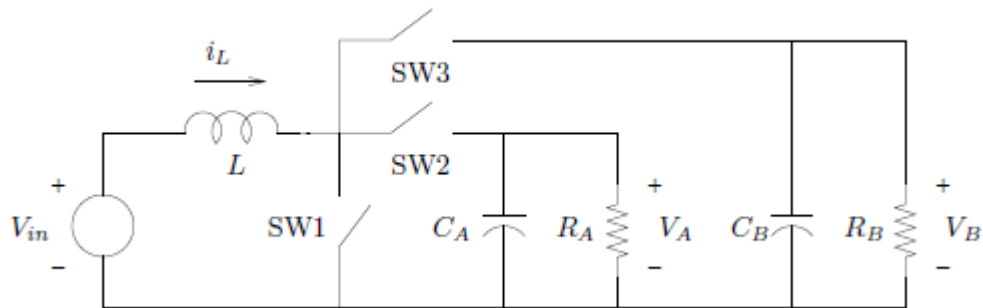
to figure the arrangement is 6s. Reenactments with these qualities are appeared in Figure 5[12]. The state directions are ensured to remain inside B within the sight of disturbances.



**Fig.5. State trajectories of system with sampling time  $T = 10$  s, under the presence of disturbances, (a) the minimum ripple controller, and (b) the minimum switching controller**

### 3. DESIGN EXAMPLE: A DOUBLE-OUTPUT DC-DC CONVERTER

The circuit appeared in Figure 5 is an expansion of the past case to a DC-DC converter with two yields. While such circuits have been proposed (see [13], conventional strategies for investigation have not, as far as anyone is concerned, yielded a reasonable control plot aside from constrained extraordinary cases. We apply the technique portrayed above to this case to demonstrate the valuable versatility properties of our approach. There are presently three switches that work in a selective manner, including another discrete state.



**Fig. 6** Double output DC-DC converter

The extra capacitor includes another nonstop state, and the additional heap turns into another disturbance. The assignment of the controller is currently to autonomously direct the two yield voltages  $V_A$  and  $V_B$  by switching among three discrete states.

#### 4. CONCLUSIONS AND FUTURE WORK

We have tended to the investigation of power electronics circuits utilizing a half and half systems structure [14]. A general model for power electronics circuits was portrayed. This model is better than found the middle value of, linearized models in that no estimate is included, and the controller blend is not constrained by the model. We built up a straightforward technique for integrating the gatekeepers that certification the security property, by developing a ball {shaped safe set. The upside of this technique is that choices can be made with a little calculation e ort (only an inward item), making it exceptionally advantageous for constant control. In spite of the fact that we confined our investigation to a ball shape, it is obvious that a similar approach can be stretched out to an ellipsoid shape. The determination of an ideal ellipsoid is an intriguing issue left for future research [15].

We reason that half and half systems procedures are a characteristic decision for power electronics circuits. In the specific instance of the twofold {output DC-DC converter, our approach prompted the plan of a suitable controller; to the best of our insight, an answer for this issue has not yet been accounted for in the writing.

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